

- To find the inverse of a function, follow the procedure described on p.416 of your textbook. Graphs of exponential and log functions are given in sections 7.2 and 7.3.
 - $f^{-1}(x) = \ln(x+2)$
 - $f^{-1}(x) = -\log_2(x)$
 - $f^{-1}(x) = e^{x-2} - 3$
- See sections 7.3 and 7.5.
 - -3
 - 1
 - 2
 - $\frac{\pi}{2}$
 - $\frac{\pi}{3}$
 - $\frac{3}{5}$
- Use L'Hospital's rule, see section 7.7.
 - $\frac{5}{6}$
 - 0
 - $\frac{1}{2}$
 - 0
 - e^{-3}
- Make the substitution $u = x^2$. $-\frac{1}{2}\cos(x^2) + c$
 - See example 3 on page 519. $\frac{\pi}{6} - \frac{\sqrt{3}}{8}$
 - Section 8.4: rational functions. In this case, just divide and evaluate. No partial fraction decomposition is necessary. See example 1 in section 8.4.
 $4x - \ln|x+1| + c$
 - Use integration by parts with $u = x$, $dv = e^x dx$. e^2
 - See examples 1 and 2 in section 8.2. $\frac{16}{15}$
 - Make the substitution $u = \tan x$. Do not forget to change the limits of integration (or change back to x and use the old limits). $e - 1$
 - Use integration by parts twice. The first time set $u = x^2$, $dv = \sin(2x) dx$.
 $-\frac{1}{2}x^2 \cos(2x) + \frac{1}{2}x \sin(2x) + \frac{1}{4} \cos(2x) + c$
 - Make the trig substitution $x = 2 \sin t$. Follow example 1 in section 8.3.
 $-\frac{\sqrt{4-x^2}}{4x} + c$
 - See section 8.4, rational functions, case II: repeated linear factors.
 $\ln|x| - \frac{3}{x} - \ln|x+4| + c$
 - Integrate by parts with $u = (\ln(5x))^3$ and $dv = dx$.
 $(\ln(5x))^3 x - 3(\ln(5x))^2 x + 6 \ln(5x)x - 6x + c$
 - See section 8.4, rational functions, case III: irreducible quadratic factors.
 $2 \ln(x^2 + 1) + 3 \arctan x + c$
 - See example 2 in section 8.2. $\frac{1}{3} \sin^3 x - \frac{1}{5} \sin^5 x + c$
 - Make a substitution. $\frac{1}{12(2-3s)^4} + c$
 - Make a trig substitution. $\ln \left| \frac{\sqrt{x^2+9}}{3} + \frac{x}{3} \right| + c$
 - Make a substitution to obtain a rational function. $-\frac{2}{3} \ln(e^x + 3) + \frac{5}{3}x + c$
 - Rational function (divide first). $x + 4 \ln|x+2| - 9 \ln|x+3| + c$
 - Use the substitution $u = 4x^2 - 1$ or a trig substitution. $\frac{(\sqrt{4x^2-1})^3}{12} + c$